



## Analysis

Why do you think the sound seems to get louder and then softer in a regular pattern?

How accurately did your measured beat frequencies? What might cause discrepancies?

How does the beat frequency change as the frequency difference between the two forks increases?

At what point (if any) do you think it becomes difficult to hear and count distinct beats?

If two tuning forks are exactly the same frequency, what beat frequency would you expect, and why?

How could modern technology (like a microphone and frequency analysis app) help improve the accuracy of your measurements?

Use Desmos to view these three functions, then add a slider for  $c$ ,  $A$ , and  $w$ .

$$y_1 = A \sin\left(\frac{2\pi}{f_1} x\right)$$

$$y_2 = A \sin\left(\frac{2\pi}{f_2} x\right)$$

$$y_3 = y_1 + y_2$$

Set  $A = 1$  and  $w = \text{period of each tuning fork pair}$ .

Probable Actual Frequencies		Number of Maximums in 10 seconds between $x=0$ and $x=10$
Tuning Fork #1 (Hz)	Tuning Fork #2 (Hz)	

Sketch an example of a graph with two different frequencies between  $x=0$  and  $x=10$ .

## Analysis

Look at the graph of  $g(x)$ . Describe the resulting maximums when the frequencies are just a little bit different.

How do you expect the difference in frequencies to affect the number of beats you see between  $x=0$  and  $x=10$ ?

If you were to change one frequency so that it was further from the other, how would you predict the number of maximums to change?

If you were to change one frequency so that it was closer to the other, how would you predict the number of maximums to change?

Explain in your own words why the amplitude oscillates between large (constructive) and small (destructive) values.